MTH 1125 (12 pm) Test #3 Pod B

Fall 2020

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Instructions. Show CLEARLY how you arrive at your answers.

1. $f(x) = x^3 - 3x^2 + 2$ Determine the intervals on which f(x) is increasing/decreasing and identify all relative maximums and minimums. (Caution - there are **two** critical numbers. Make sure you get them both!)

2. $f(x) = x^4 - 8x^3 - 30x^2 + 6x + 3$ Determine the intervals on which f(x) is Concave up/Concave down and identify all points of inflection.

3. $f(x) = 2x^3 - 15x^2 - 84x + 3$ on the interval [-3,2]. Find the Absolute Maximum and Absolute Minimum values (if they exist).

4. $f(x) = 2x^{\frac{14}{5}} - 7x^{\frac{4}{5}}$ Determine the intervals on which f(x) is increasing/decreasing and identify all relative maximums and minimums.

5. A rectangle is inscribed in the region bounded by the positive x-axis, the positive y-axis, and the graph of $f(x) = (x - 10)^4$ as shown below. Determine the value of x that makes the area of the rectangle as large as possible.

REMARK: When you create the area function A(x), do not simplify (i.e. "multiply it out") before you compute the derivative. If you simplify (i.e. "multiply it out") the area function A(x) before you compute the derivative, it will be very difficult to find the critical numbers.

